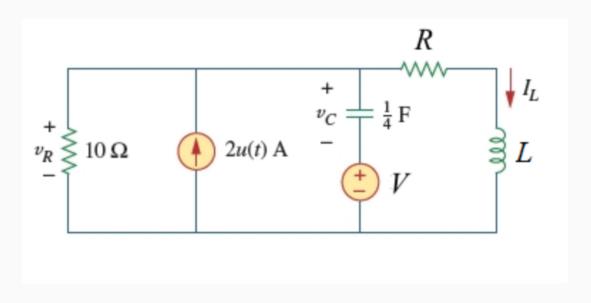
In the circuit given below,  $R = 30 \Omega$ , V = 30 V, and L = 1/6 H.



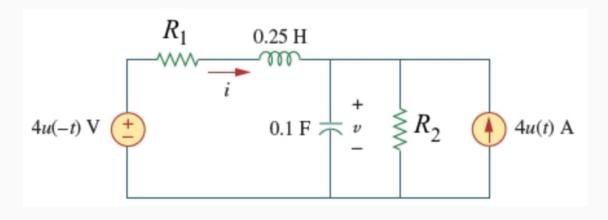
Calculate  $i_L(0^+)$ ,  $v_C(0^+)$ , and  $v_R(0^+)$ .

The value of  $i_L(0^+)$  is A.

The value of  $v_C(0^+)$  is V.

The value of  $v_R(0^+)$  is V.

In the circuit given below,  $R_1$  = 4  $\Omega$  and  $R_2$  = 7  $\Omega$ .



Find  $dv(0^+)/dt$  and  $di(0^+)/dt$ .

The value of  $dv(0^+)/dt$  is V/s.

The value of  $di(0^+)/dt$  is A/s.

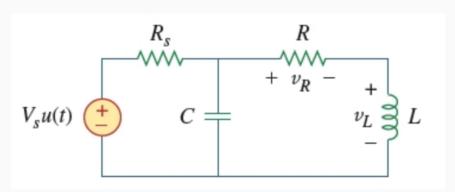
Determine  $v_R(0^+)$  and  $v_L(0^+)$ .

The value of  $v_R(0^+)$  is

The value of  $v_L(0^+)$  is V.

#### 10.00 points

Consider the circuit given below.



Find  $dv_R(0^+)/dt$  and  $dv_L(0^+)/dt$ .

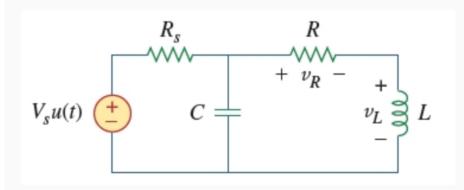
$$O \frac{dv_R(0^+)}{dt} = 0 \text{ V/s}; \frac{dv_L(0^+)}{dt} = \frac{V_s}{R_s}$$

$$\bigcirc \frac{dv_R(0^+)}{dt} = \frac{V_s}{R_s} \cdot \frac{dv_L(0^+)}{dt} = \frac{V_s}{CR_s}$$

$$O_{\frac{dv_R(0^+)}{dt}} = O_{V/s_{\frac{1}{2}}} \frac{dv_L(0^+)}{dt} = \frac{V_s}{CR_s}$$

$$\frac{dv_R(0^+)}{dt} = \frac{V_s}{CR_s} \frac{dv_L(0^+)}{dt} = 0 \text{ V/s}$$

#### Consider the circuit given below.



Find  $v_R(\infty)$  and  $v_L(\infty)$ .

$$\bigcirc v_R(\infty) = o_{V_i} v_L(\infty) = \left(\frac{R}{R + R_s}\right) V_s$$

$$\bigcirc v_R(\infty) = \left(\frac{R}{R_s}\right) V_{s_i} v_L(\infty) = 0 \text{ V}$$

$$\bigcirc v_R(\infty) = \left(\frac{R}{R+R_s}\right) V_{s_i, \nu_L(\infty)} = 0 V$$

$$\bigcirc v_R(\infty) = 0 \ v_i \ v_L(\infty) = \left(\frac{R_s}{R}\right) V_s$$

### 10.00 points

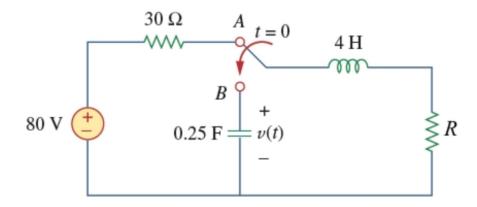
The current in an RLC circuit is described by

$$\frac{d^2i}{dt^2} + 10\frac{di}{dt} + 25i = 0$$

If i(0) = 10 A and di(0)/dt = 0, then for t > 0,  $i(t) = (\mathbf{A} + \mathbf{B}t)e^{\mathbf{S}t} A$ ,

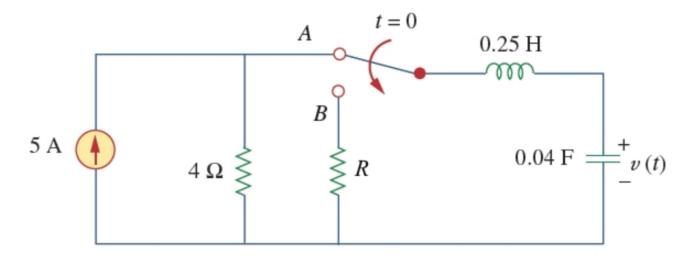
where **A** = \_\_\_\_\_, **B** = \_\_\_\_\_, and **s** = \_\_\_\_\_.

In the circuit given below,  $R = 10 \Omega$ . The switch in the circuit moves from position A to position B at t = 0 (please note that the switch must connect to point B before it breaks the connection at A, a make-before-break switch). Let v(0) = 0. Find v(t) for t > 0.



- $O v(t) = -(5.333)e^{-(-0.50)t} + (-5.333)e^{-(-2.00)t} V$
- $O v(t) = (5.333)e^{-0.50t} + (-5.333)e^{-2.00t} V$
- $\circ$   $v(t) = (5.333)e^{-0.50t} (-5.333)e^{-(-2.00)t} \vee$

In the circuit given below,  $R = 20 \Omega$  and the switch moves (a make-before-break switch) from position A to B at t = 0. Find v(t) for all  $t \ge 0$ .



The voltage equation is  $v(t) = \mathbf{A}e^{\mathbf{s}\mathbf{1}t} + \mathbf{B}e^{\mathbf{s}\mathbf{2}t}$ ,

where **A** = , **s1** = , and **s2** =

Assuming  $R = 12 \text{ k}\Omega$ , design a parallel *RLC* circuit that has the characteristic equation  $s^2 + 100s + 10^6 = 0$ .

The value of *L* is

The value of C is nF.

A branch voltage in an RLC circuit is described by

$$\frac{d^2v}{dt^2} + 4\frac{dv}{dt} + 8v = 24$$

If the initial conditions are v(0) = 8 = dv(0)/dt, find v(t).

- $V(t) = (3 + (5\cos(2t) + 9.0\sin(2t))e^{-2t})$  volts
- $V(t) = (3 + (\cos(2t) + \sin(2t))e^{-2t})$  volts
- $v(t) = ((5\cos(2t) + \sin(2t))e^{-2t})$  volts
- $V(t) = (3 + (5\cos(2t) 9.0\sin(2t))e^{-2t})$  volts

A series RLC circuit is described by

$$L\frac{d^2i}{dt^2} + R\frac{di}{dt} + \frac{i}{C} = 10$$

Find the response when L = 0.5 H, R = 4  $\Omega$ , and C = 0.2 F. Let i(0) = 1, di(0)/dt = 0.

The current equation is  $i(t) = \mathbf{E} + [\mathbf{A}e^{\mathbf{s}\mathbf{1}} + \mathbf{B}e^{\mathbf{s}\mathbf{2}}] A$ ,

where **A** = , **B** = , s**1** = , and **E** = .

Solve the following differential equation subject to the specified initial conditions.

$$\frac{d^2i}{dt^2} + 5\frac{di}{dt} + 4i = 8$$

Given that the initial conditions are i(0) = -2 and di(0)/dt = 2.

The current equation is  $i(t) = (\mathbf{E} - \mathbf{A}e^{\mathbf{s}\mathbf{1}t} + \mathbf{B}e^{\mathbf{s}\mathbf{2}t}) A$ ,

where **A** = \_\_\_\_\_, **s1** = \_\_\_\_\_, **s2** = \_\_\_\_\_, and **E** = \_\_\_\_\_.

Solve the following differential equation subject to the specified initial conditions.

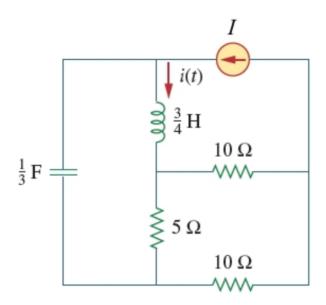
$$\frac{d^2v}{dt^2} + 2\frac{dv}{dt} + v = 3$$

Given that the initial conditions are v(0) = 4 and dv(0)/dt = 1.

The voltage equation is  $v(t) = [\mathbf{D} + (\mathbf{A} + \mathbf{B}t)e^{\mathbf{S}3t}] \text{ V}$ ,

where **A** = , **B** = , and **D** = .

In the circuit given below, I = 15[1 - u(t)] A. Calculate i(t) for t > 0.



The current equation is  $i(t) = [\mathbf{A}e^{\mathbf{s}\mathbf{1}t} + \mathbf{B}e^{\mathbf{s}\mathbf{2}t}] A$ ,

where **A** = \_\_\_\_\_, **B** = \_\_\_\_\_, and **s2** = \_\_\_\_\_

The step response of a parallel RLC circuit is

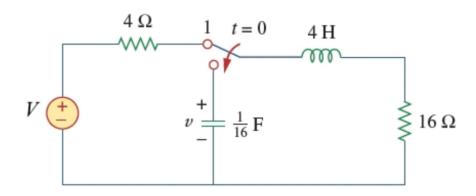
$$v = 10 + 20e^{-300t} (\cos(400t) - 2\sin(400t)) \text{ V, } t \ge 0$$

when the inductor is 10 mH. Find R and C.

The value of C is  $\mu$ F.

The value of R is  $\Omega$ .

In the circuit given below, V = 50 V. The switch in the circuit has been positioned at 1 for t < 0. At t = 0, it is moved from position 1 to the top of the capacitor. Please note that the switch is a make-before-break switch, and it stays in contact with position 1 until it makes contact with the top of the capacitor and then breaks the contact at position 1. Given that the initial voltage across the capacitor is equal to zero, determine v(t).



The voltage equation is  $v(t) = \mathbf{D} + [\mathbf{A} + \mathbf{B}t]e^{-\mathbf{s}t} \mathbf{V}$ ,

where **A** = , **B** = , and **D** =